

Surface-Guided 3D Liver Tumor Tracking for Respiratory Motion Management Using SLOT-Net

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TAKE-HOME MESSAGE

Whole anterior-surface motion
 can localize 3D liver tumors
 with sub-2-mm accuracy -
 without ionizing imaging

STUDY AT A GLANCE

157 patients with
 liver tumors

8 respiratory phases
 from 4D-MRI

3D tumor mask +
 centroid prediction

BEST TEST RESULTS

1.54 ± 1.29 mm
 centroid error

0.86 ± 0.11
 Dice score

2.90 ± 1.05 mm
 HD95

WHAT PRIORS FROM REFERENCE PHASE HELP MOST?

- 1 Jacobian determinant
- 2 End-exhale diaphragm mask

WHICH SURFACE REGIONS HELP MOST?

- 1 Abdominal center
- 2 Lateral body

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 liver tumor · SGRT · markerless
 tracking · 4D-MRI · uncertainty

INTRODUCTION

CLINICAL NEED Sparse markers and small surface patches fail to reliably reflect internal liver motion across patients or breathing states

RESEARCH GAPS Limited high-quality 4D MRI data for 3D liver motion research

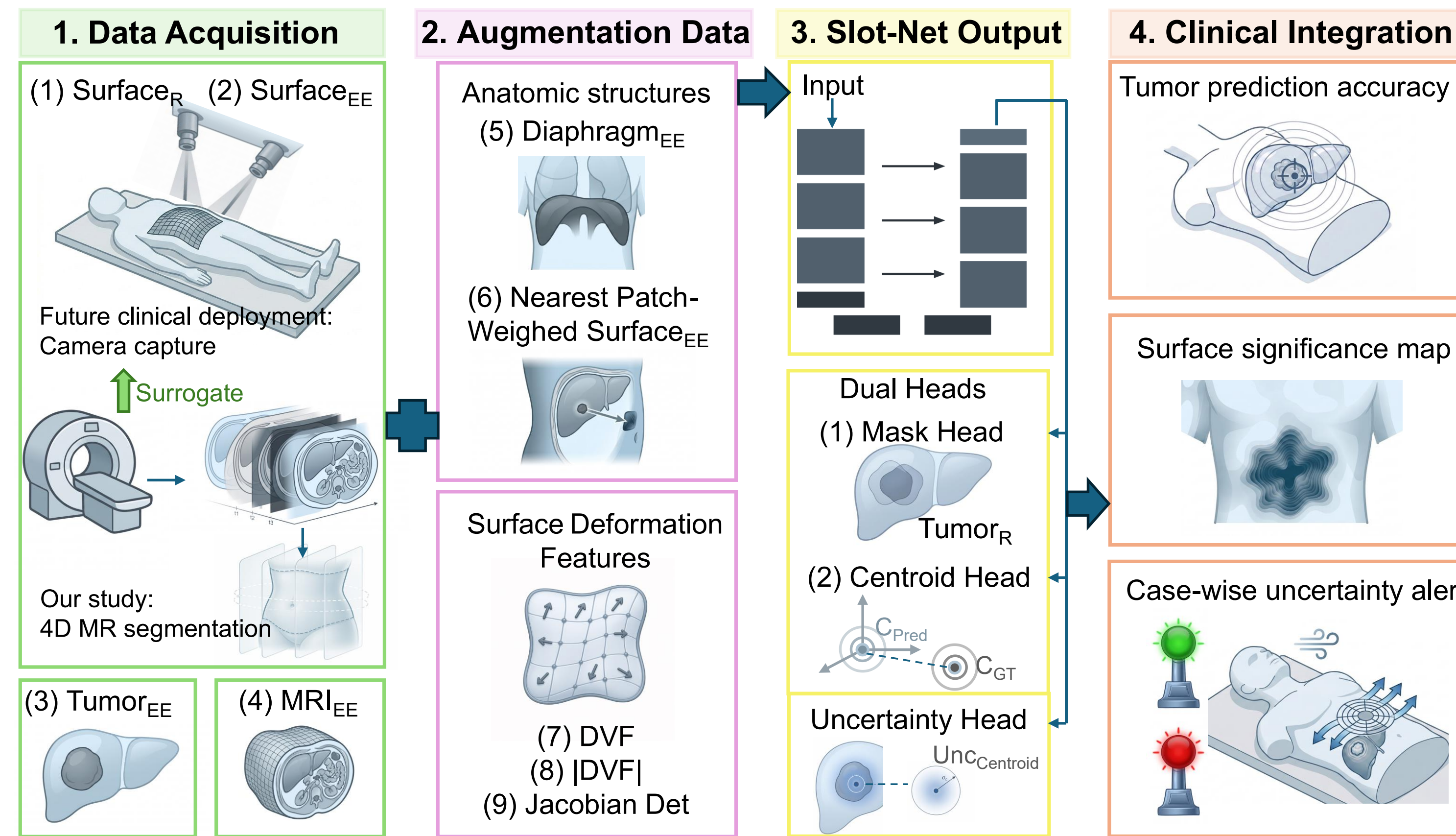


Fig 1. Overview of the proposed framework for 3D internal liver tumor localization using skin surface. The workflow includes multimodal data acquisition and processing, Slot-Net training with multi-head outputs, and downstream analyses of localization accuracy, surface contribution and prediction uncertainty. Abbreviations: R=real-time; EE=end-exhalation (reference phase).

METHODS

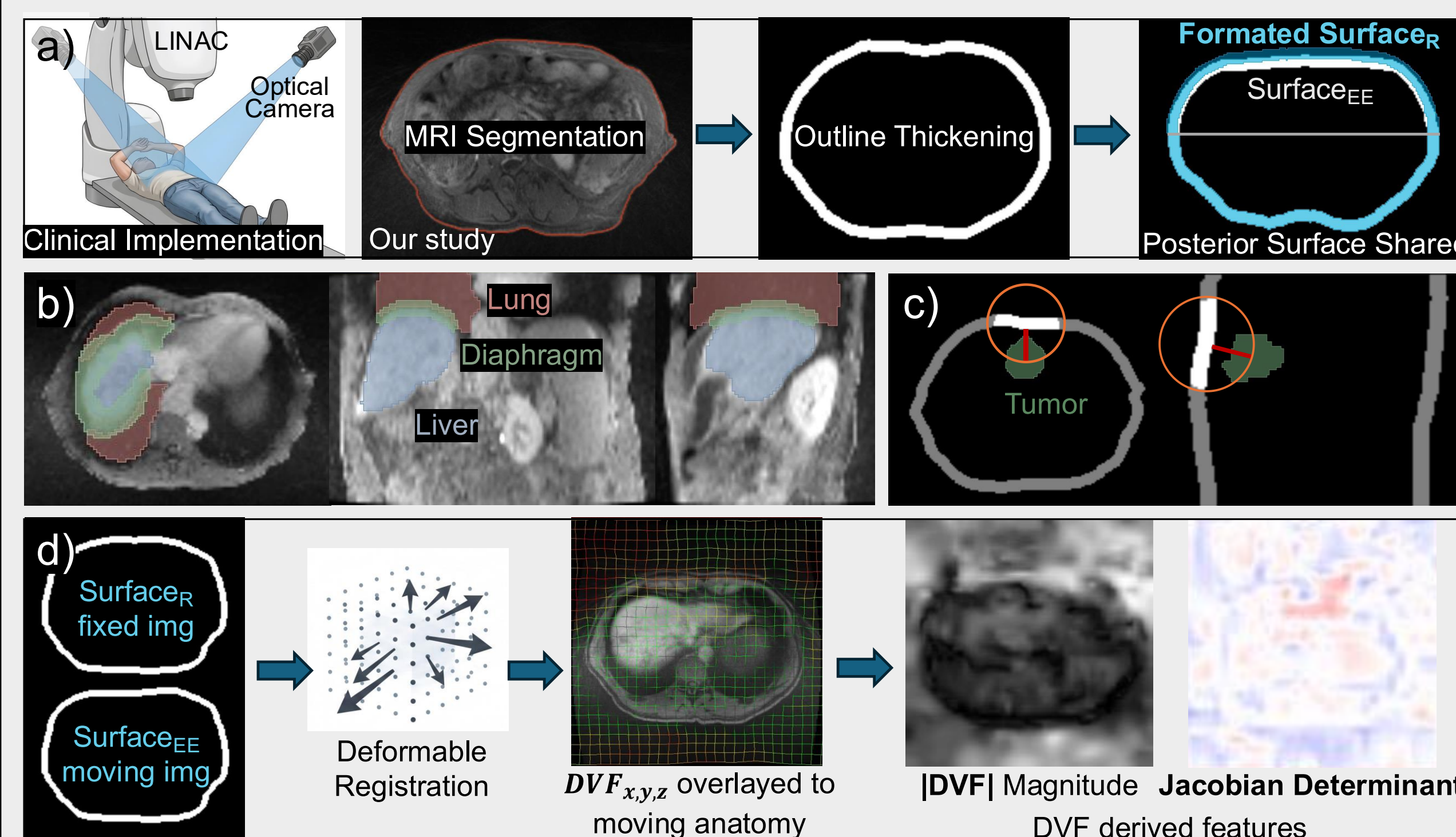


Fig 2. Multimodal data preparation: a) Skin surface. b) Diaphragm mask. c) Nearest patch weighted surface. d) Surface deformable registration derived features.

LOSS FUNCTION

$$\begin{aligned}
 L_{Mask} &= w_{BCE} \times L_{BCE} + w_{Dice} \times L_{Dice} + w_{CenDistM} \times L_{CenDistM} \quad (2) \\
 L_{Centroid} &= w_{KL} \times L_{KL} + w_{CenDistC} \times L_{CenDistC} \quad (3) \\
 L_{total} &= L_{Mask} + L_{Centroid} + L_{Uncertainty} \quad (1) \\
 L_{Uncertainty} &= w_{Uncertainty} \times \left(\frac{(y - \mu)^2}{\exp(s)} + s \right) \quad (4)
 \end{aligned}$$

